

# Out-of-Plane Electromechanical Response of Monolayer Molybdenum Disulfide Measured by Piezoresponse Force Microscopy

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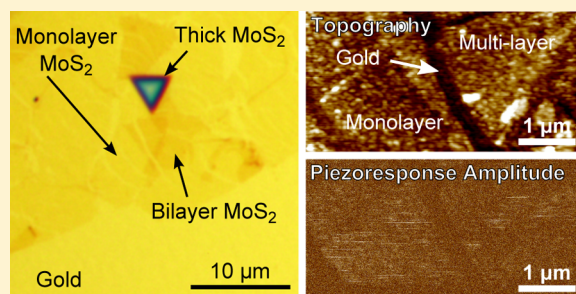
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## S Supporting Information

**ABSTRACT:** Two-dimensional (2D) materials have recently been theoretically predicted and experimentally confirmed to exhibit electromechanical coupling. Specifically, monolayer and few-layer molybdenum disulfide (MoS<sub>2</sub>) have been measured to be piezoelectric within the plane of their atoms. This work demonstrates and quantifies a nonzero out-of-plane electromechanical response of monolayer MoS<sub>2</sub> and discusses its possible origins. A piezoresponse force microscope was used to measure the out-of-plane deformation of monolayer MoS<sub>2</sub> on Au/Si and Al<sub>2</sub>O<sub>3</sub>/Si substrates. Using a vectorial background subtraction technique, we estimate the effective out-of-plane piezoelectric coefficient,  $d_{33}^{\text{eff}}$ , for monolayer MoS<sub>2</sub> to be  $1.03 \pm 0.22$  pm/V when measured on the Au/Si substrate and  $1.35 \pm 0.24$  pm/V when measured on Al<sub>2</sub>O<sub>3</sub>/Si. This is on the same order as the in-plane coefficient  $d_{11}$  reported for monolayer MoS<sub>2</sub>. Interpreting the out-of-plane response as a flexoelectric response, the effective flexoelectric coefficient,  $\mu_{\text{eff}}^*$ , is estimated to be 0.10 nC/m. Analysis has ruled out the possibility of elastic and electrostatic forces contributing to the measured electromechanical response. X-ray photoelectron spectroscopy detected some contaminants on both MoS<sub>2</sub> and its substrate, but the background subtraction technique is expected to remove major contributions from the unwanted contaminants. These measurements provide evidence that monolayer MoS<sub>2</sub> exhibits an out-of-plane electromechanical response and our analysis offers estimates of the effective piezoelectric and flexoelectric coefficients.

**KEYWORDS:** MoS<sub>2</sub>, electromechanical coupling, flexoelectricity, piezoelectricity, piezoresponse force microscopy



The coupling of electronic and mechanical behaviors in crystalline materials has created many engineering opportunities. Strain is commonly used in electronics to alter electronic bandgaps and carrier mobilities,<sup>1</sup> and electromechanical coupling is widely used in microelectromechanical systems (MEMS) to make sensors,<sup>2</sup> actuators,<sup>3</sup> and generators.<sup>4</sup> One of the most widely used electromechanical coupling phenomena is piezoelectricity, which links crystal polarization and mechanical strain. Piezoelectricity only exists in non-centrosymmetric crystalline materials, limiting the range of possible materials to use for such applications. As scaling trends continue to shrink the feature size of materials, a need arises for nanoscale piezoelectric materials. Two-dimensional (2D) materials are very popular candidates for nanodevices because of their exotic electronic properties,<sup>5</sup> transparency,<sup>6,7</sup> and mechanical robustness,<sup>8</sup> and have recently been shown to be candidates for electromechanical nanotransducers.<sup>9,10</sup>

In the atomically thin limit, transition metal dichalcogenides (TMDs) are intrinsically piezoelectric due to the lack of inversion symmetry in their crystal structure.<sup>11</sup> Piezoelectricity arises within the plane of their atoms and both direct<sup>9,12</sup> and converse<sup>12,13</sup> piezoelectric effects have been experimentally confirmed in monolayer and few layer molybdenum disulfide (MoS<sub>2</sub>). In-plane piezoelectricity should only exist in odd-number layers of TMDs where there is no inversion symmetry present and decrease rapidly as the number of layers increases due to cancellation of the responses from oppositely oriented layers.<sup>9</sup> Any strain or electric field applied perpendicular to the surface of the MoS<sub>2</sub> will theoretically yield zero piezoelectric response due to its crystal symmetry.

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Piezoelectricity is, however, only one type of electro-mechanical response possible in crystal lattices. In flexoelectricity, polarization arises from strain gradients as opposed to uniform strain.<sup>14–16</sup> Thus, a fourth-order tensor describes flexoelectricity, while a third-order tensor describes piezoelectricity. With an even-rank tensor, flexoelectricity is present in every crystal class. Despite this, flexoelectricity has been seldom studied because the strain gradients necessary to cause a noticeable change in polarization in macro-scale materials requires very large strains that can fracture the material. However, in nanoscale materials even small strain can cause large gradients to form.

Investigations of flexoelectricity in 2D materials<sup>16–18</sup> have mainly focused on either carbon systems<sup>19–21</sup> or hexagonal boron nitride.<sup>22,23</sup> These works were performed from the modeling side but since 2D materials are the ultimate nanoscale material and can have large strain gradients they can offer a platform for experimental studies of flexoelectricity.

Another reason for the lack of experimental study of flexoelectricity is because piezoelectricity and flexoelectricity are difficult to isolate from each other. We propose a solution to this problem by utilizing the symmetry of MoS<sub>2</sub> and other TMDs. Their crystal class,  $D_{3h}$  ( $6m2$ ), results in a flexoelectric tensor that has nonzero coefficients in the out-of-plane direction,<sup>24</sup> whereas all out-of-plane piezoelectric coefficients are zero.<sup>11</sup> Flexoelectricity in 2D materials can therefore be studied experimentally if an out-of-plane electromechanical response in MoS<sub>2</sub> is measurable. There have been a few notable experimental studies investigating out-of-plane electromechanical properties of 2D materials, namely on graphene-nitride nanosheets with nonsymmetric holes<sup>25</sup> and graphene forming bonds to the underlying SiO<sub>2</sub> substrate.<sup>26</sup> Neither study suggested an estimate for a flexoelectric coefficient. Interestingly, because 2D materials are essentially only a surface, it becomes ambiguous whether out-of-plane electromechanical effects caused by spatial gradients should be referred to as flexoelectricity or surface piezoelectricity.<sup>14,15</sup> Nevertheless, it is referred to as a flexoelectric response here.

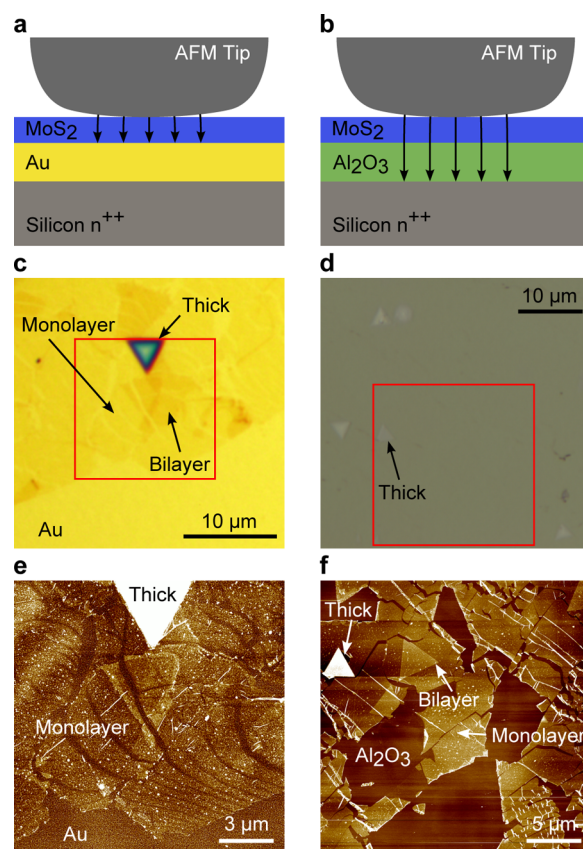
Piezoresponse force microscope (PFM) is used to measure out-of-plane electromechanical deformation resulting from an applied out-of-plane electric field. Because an electric field is inducing a strain, this is referred to as the converse piezoelectric effect; the direct piezoelectric effect is a strain inducing a polarization. In the measurement, an atomic force microscope (AFM) with a conductive probe is used to apply an electric field through the test material by applying a drive voltage,  $V_d$ , between the tip and substrate. If there is electromechanical coupling in the material, the AFM tip will be deflected by the expansion and contraction of the material. A lock-in amplifier is used to measure both the amplitude and phase of the response while simultaneously measuring surface topography. (See Figure S1 in the [Supporting Information](#) for details regarding the PFM measurement and tip-sample geometry.)

The quantity usually obtained from PFM experiments,  $d_{33}$ , is the piezoelectric coefficient that represents the out-of-plane piezoelectric response created by an out-of-plane electric field (see [Supporting Information](#) Note 1 for details on calculating  $d_{33}$  from PFM signals). In actual PFM experiments, the measurement should be referred to as an effective value,  $d_{33}^{\text{eff}}$ , because of additional possible contributions to the signal including material clamping,<sup>27</sup> inhomogeneous field effects,<sup>28</sup> and other electromechanical effects. Other factors that may affect the measurement and introduce experimental uncertainty

include electrostatic effects,<sup>29</sup> topographic artifacts,<sup>30</sup> cantilever dynamics,<sup>31,32</sup> and instrumental noise.<sup>32</sup>

To help minimize the contribution of nonelectromechanical effects and obtain a quantitative estimate of the true electromechanical response of the test material, a vectorial background subtraction technique is used.<sup>33,34</sup> PFM measurements taken on nonpiezoelectric substrates or without applying  $V_d$  serve as two different measurements of the background contribution to the measured MoS<sub>2</sub> signal. These measurements, which have an amplitude and phase component, can then be made into vectors. Next, by performing a vector subtraction of the background signal from the MoS<sub>2</sub> signal, a more accurate representation of  $d_{33}^{\text{eff}}$  can be obtained. The details of this process will be illustrated with data later in this paper.

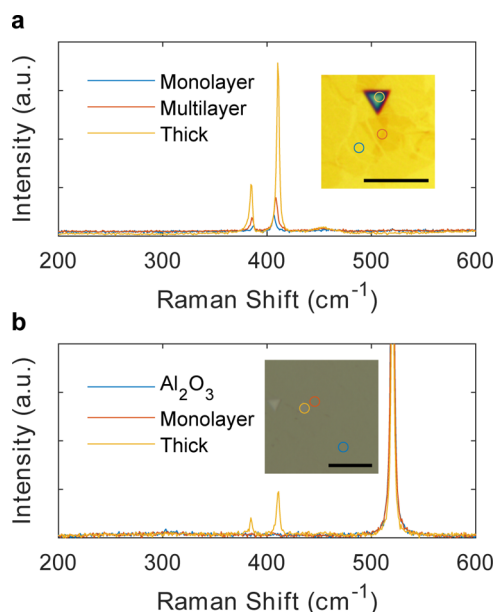
Samples are made by transferring CVD grown MoS<sub>2</sub> from a growth substrate to either 70 nm gold (Au) or 5.3 nm alumina (Al<sub>2</sub>O<sub>3</sub>) deposited on an n<sup>++</sup> silicon substrate. Detailed sample preparation steps are described in the [Methods](#) as well as [Figure S2](#). The Au is used to concentrate the electric field within the MoS<sub>2</sub> and serves as the bottom electrode. The Al<sub>2</sub>O<sub>3</sub> serves as a dielectric layer to limit current flow with the n<sup>++</sup> Si substrate now acting as the bottom electrode. [Figure 1](#) shows a schematic



**Figure 1.** Schematics of the two samples: (a) MoS<sub>2</sub> on 70 nm Au on n<sup>++</sup> Si and (b) MoS<sub>2</sub> on 5.3 nm Al<sub>2</sub>O<sub>3</sub> on n<sup>++</sup> Si. The black arrows indicate the electric field coming from the AFM tip terminating at the conductive substrates. Because the MoS<sub>2</sub> is monolayer, the AFM tip radius will appear broad in comparison. Optical images of the MoS<sub>2</sub>/Au/Si sample (c) and MoS<sub>2</sub>/Al<sub>2</sub>O<sub>3</sub>/Si sample (d) show that the MoS<sub>2</sub> is optically visible on Au but not on the Al<sub>2</sub>O<sub>3</sub>/Si substrate. Tapping mode AFM images of the MoS<sub>2</sub>/Au/Si sample (e) and the MoS<sub>2</sub>/Al<sub>2</sub>O<sub>3</sub>/Si sample (f) show that the monolayer and multilayer MoS<sub>2</sub> layers can be clearly distinguished from the substrate.



of the two sample types, along with optical and tapping-mode AFM images of each. The  $\text{Al}_2\text{O}_3/\text{Si}$  sample has very limited optical contrast, resulting in very weak Raman and photoluminescence (PL) signals.<sup>35</sup> In this case, tapping-mode AFM was used to identify locations of  $\text{MoS}_2$ . Figure 2 shows Raman



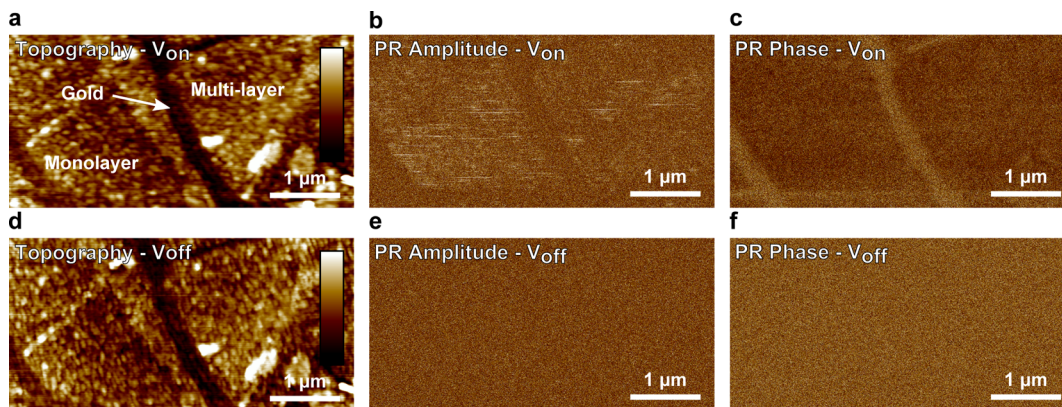
**Figure 2.** Raman measurements of (a)  $\text{MoS}_2/\text{Au}/\text{Si}$  and (b)  $\text{MoS}_2/\text{Al}_2\text{O}_3/\text{Si}$  samples. The areas measured are circled in the inset microscope images with corresponding colors. The scale bars are 10  $\mu\text{m}$ . The intensity of the  $\text{MoS}_2$  Raman signals increases as thicker layers are measured. The peak separation also increases as the thickness increases, as expected. Only the thick  $\text{MoS}_2$  region on the  $\text{Al}_2\text{O}_3$  sample gives a detectable Raman signature due to poor optical absorption caused by the substrate.

data taken at different locations on each sample. On the Au sample (Figure 2a), the separation of the  $E_{2g}^1$  and  $A_{1g}$  peaks for  $\text{MoS}_2$  increases from 19.7 to 25.7  $\text{cm}^{-1}$  from monolayer to thick  $\text{MoS}_2$ , and both peaks increase in intensity, which is consistent with observations reported in the literature.<sup>36</sup> Only the thick  $\text{MoS}_2$  yields measurable Raman data on the  $\text{Al}_2\text{O}_3/\text{Si}$

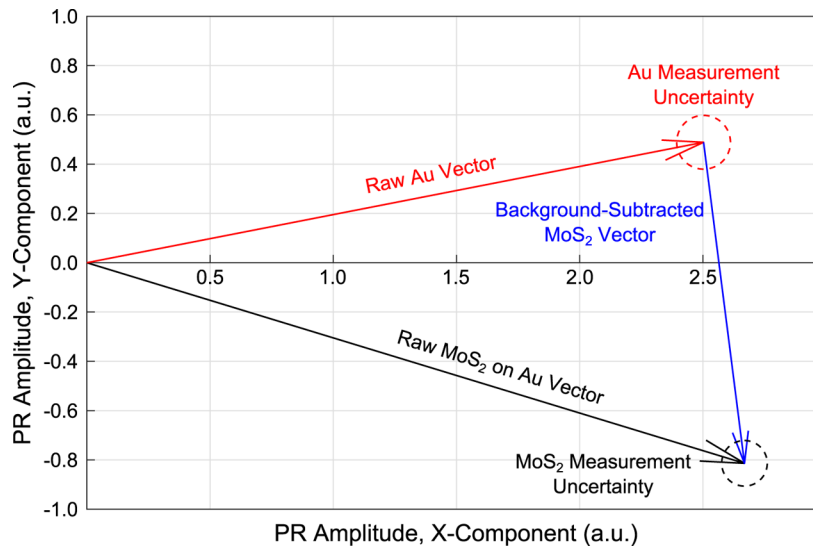
sample (Figure 2b) with a peak separation of 26.1  $\text{cm}^{-1}$ . The peak near 520  $\text{cm}^{-1}$  is from the underlying silicon. Further discussion of  $\text{MoS}_2$  thickness and weak Raman and PL data is provided in Supporting Information Note 2 and Figures S3–S5. PL and Raman measurements at different steps of sample preparation are shown in Figure S6, revealing that residual tensile strain caused during growth is released during the transfer process.

Figure 3 shows PFM images of  $\text{MoS}_2$  on Au. The topographic (Figure 3a), piezoresponse (PR) amplitude (Figure 3b), and PR phase (Figure 3c) channels with  $V_d$  applied show that there is clear contrast between the  $\text{MoS}_2$  and the Au. When the voltage is not applied, contrast in topography remains (Figure 3d) whereas contrast in piezoresponse disappears (Figure 3e,f), allowing topographic artifacts to be ruled out.

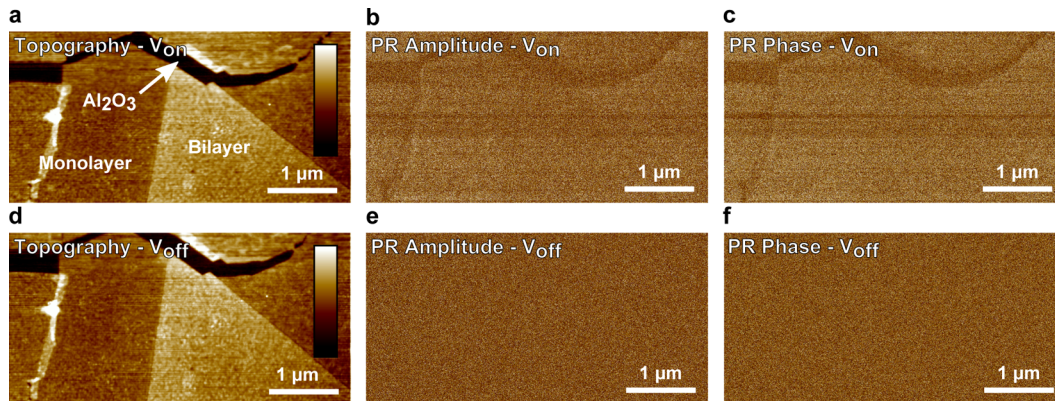
By using the values measured on Au and those measured without the voltage applied as two separate background signals in the vectorial background subtraction process, we obtain the out-of-plane effective piezoelectric coefficient of  $\text{MoS}_2$ . As illustrated in Figure 4, with the amplitude and phase information, the measured PR of  $\text{MoS}_2$  on Au (black) and the measured PR of the Au background (red) are plotted as two vectors in a 2D  $x$ – $y$  graph. In both cases, an average of the amplitude and phase data taken over an area of only monolayer  $\text{MoS}_2$  or the Au substrate is done to obtain the two vectors. The difference between the two vectors (blue) is taken to be the true PR coming from the  $\text{MoS}_2$ . More details of the vectorial background subtraction method can be found in Supporting Information Note 3. The background-subtracted PR can then be converted to a  $d_{33}^{\text{eff}}$  value using the deflection sensitivity of the cantilever and the drive voltage (details given in Supporting Information Note 1). We finally obtain  $0.93 \pm 0.23$  and  $1.12 \pm 0.20$  pm/V for  $d_{33}^{\text{eff}}$  of  $\text{MoS}_2$  using the Au and the voltage-off condition as the background, respectively. The two values are consistent within our experimental uncertainty, reinforcing that there are minimal topographic artifacts, that the Au makes little to no contribution to the PR, and that the PR is truly associated with the presence of the  $\text{MoS}_2$ . Detailed analysis of the uncertainty is given in Supporting Information Note 4. In comparison, a piezoelectric lithium niobate ( $\text{LiNbO}_3$ ) reference sample has a  $d_{33}$  of 7.5 pm/V,  $d_{11}$  for



**Figure 3.** A series of two PFM measurements on the  $\text{MoS}_2/\text{Au}$  sample with the drive voltage applied ( $V_{\text{on}}$ ) (a–c) and not applied ( $V_{\text{off}}$ ) (d–f). The topography images (a,d) show the background Au substrate, monolayer  $\text{MoS}_2$ , and multilayer  $\text{MoS}_2$  regions. The applied drive voltage does not affect the topographic measurement (color bar is 0–5 nm for both). The piezoresonance (PR) amplitude images (b,e) show that the  $\text{MoS}_2$  region has contrast against the Au substrate only when the drive voltage is applied (b). The same is true for the PR phase images (c,f). Both amplitude images and phase images share the same color scale.



**Figure 4.** A schematic illustration of how the background subtraction method is performed to calculate  $d_{33}^{\text{eff}}$ . The amplitude and phase channels of the MoS<sub>2</sub> (black) and Au (red) PFM measurements are used to make two separate vectors. The actual signal is the difference between these two vectors (blue). The dashed circles at the end of the vectors represent the uncertainty of the measured amplitudes and phases.



**Figure 5.** A series of two PFM measurements on the MoS<sub>2</sub>/Al<sub>2</sub>O<sub>3</sub> sample with the drive voltage applied ( $V_{\text{on}}$ ) (a,b) and not applied ( $V_{\text{off}}$ ) (d–f). The topography images (a,d) show the background Al<sub>2</sub>O<sub>3</sub> substrate, monolayer MoS<sub>2</sub>, and bilayer MoS<sub>2</sub> regions. The applied drive voltage does not affect the topographic measurement (color bar is 0 to 3.7 nm for both). The PR amplitude images (b,e) show that the MoS<sub>2</sub> region has contrast against the Al<sub>2</sub>O<sub>3</sub> substrate only when the drive voltage is applied (b). The same is true for the PR phase images (c,f). Both amplitude images and phase images share the same color scale.

monolayer MoS<sub>2</sub> has been measured<sup>13</sup> to be 1.85 pm/V, and theoretical estimates for  $d_{11}$  of MoS<sub>2</sub> range from 2.91 to 3.73 pm/V for clamped- and relaxed-ion cases.<sup>11</sup>

To eliminate the possibility that the observed PR signals are affected by current flow at the tip–MoS<sub>2</sub>–Au junction, the Al<sub>2</sub>O<sub>3</sub>/Si samples were fabricated to limit the potential current flow by introducing an insulating dielectric layer. Figure 5 shows the topographic (Figure 5a), PR amplitude (Figure 5b), and PR phase (Figure 5c) channels of the Al<sub>2</sub>O<sub>3</sub>/Si sample while  $V_d$  is applied. Similar to the case of the Au sample, there are clear differences in the PFM signal on the MoS<sub>2</sub> versus Al<sub>2</sub>O<sub>3</sub> when the voltage is applied, but no differences when the voltage is not applied (Figure 5d–f). In this case, an added complication arises because the voltage is being dropped over a larger distance and over two different materials. Given  $V_d$  applied between the AFM tip and the  $n^{++}$  silicon substrate, the voltage drop across only the MoS<sub>2</sub>,  $V_{\text{MoS}_2}$ , can be estimated using a simple planar capacitance model

$$V_{\text{MoS}_2} = V_d \frac{\frac{\epsilon_{\text{Al}_2\text{O}_3}}{t_{\text{Al}_2\text{O}_3}}}{\frac{\epsilon_{\text{MoS}_2}}{t_{\text{MoS}_2}} + \frac{\epsilon_{\text{Al}_2\text{O}_3}}{t_{\text{Al}_2\text{O}_3}}} \quad (1)$$

where  $\epsilon_{\text{Al}_2\text{O}_3}$ ,  $\epsilon_{\text{MoS}_2}$ ,  $t_{\text{Al}_2\text{O}_3}$ , and  $t_{\text{MoS}_2}$  are the permittivity of the Al<sub>2</sub>O<sub>3</sub> and MoS<sub>2</sub>, and the thickness of the Al<sub>2</sub>O<sub>3</sub> and MoS<sub>2</sub>, respectively (see Supporting Information Note 5). On the basis of the estimated voltage drop,  $d_{33}^{\text{eff}}$  is calculated to be  $1.34 \pm 0.27$  and  $1.35 \pm 0.20$  pm/V using the Al<sub>2</sub>O<sub>3</sub> or the voltage-off condition as the background, respectively. These values are slightly larger than the values measured on Au but are still within our experimental uncertainty. Discrepancies could be caused by variability in the separate AFM tips used, variable wear of the AFM tips, changes caused by the presence or absence of current flow, depletion of carriers in the  $n^{++}$  Si bottom electrode, or differences in geometries between the two systems. The results for the two different types of samples are summarized in Table 1. The last column compares the signal



measured on the respective substrates to the voltage-off condition, showing that the substrates are not piezoelectric.

**Table 1.**  $d_{33}^{\text{eff}}$  and Uncertainty Values Calculated from Preforming Background Subtraction with the Indicated PFM Vectors

	MoS <sub>2</sub> versus Sub (pm/V)	MoS <sub>2</sub> versus $V_{\text{off}}$ (pm/V)	Sub versus $V_{\text{off}}$ (pm/V)
Au/Si sample	$0.93 \pm 0.23$	$1.12 \pm 0.20$	$0.19 \pm 0.10$
Al <sub>2</sub> O <sub>3</sub> /Si sample	$1.34 \pm 0.27$	$1.35 \pm 0.20$	$0.04 \pm 0.15$

To understand the origin of the measured  $d_{33}^{\text{eff}}$  signal in the PFM experiment, including the potential contribution of flexoelectric response, a closer look at the forces involved in the measurement is required. The multiple contributions to the force that acts on the AFM tip can be summarized by

$$F_{\text{tot}} = F_0 + F_{\text{ES}} + F_{\text{EM}} \quad (2)$$

where  $F_{\text{tot}}$  is the total force,  $F_0$  the elastic force,  $F_{\text{ES}}$  the electrostatic force, and  $F_{\text{EM}}$  the electromechanical force. The different force components can be further written as

$$F_0 = kd_0 \quad (3a)$$

$$F_{\text{ES}} = F_{\text{ES}}^{\text{Tip}} + F_{\text{ES}}^{\text{Cant}} \quad (3b)$$

$$F_{\text{EM}} = F_{\text{EM}}^{\text{Piezo}} + F_{\text{EM}}^{\text{Flexo}} \quad (3c)$$

where  $k$  is the spring constant of the AFM cantilever and  $d_0$  is the deflection set point, that is, the amount of deflection the cantilever experiences while in constant contact with the sample. The electrostatic force is split into contributions from the tip,  $F_{\text{ES}}^{\text{Tip}}$ , and the cantilever,  $F_{\text{ES}}^{\text{Cant}}$ , and the electromechanical force is split into components from piezoelectricity,  $F_{\text{EM}}^{\text{Piezo}}$ , and flexoelectricity,  $F_{\text{EM}}^{\text{Flexo}}$ .

The elastic contribution comes from the PFM measurement being a contact-mode AFM technique. The AFM tip is brought into contact with the sample surface and a constant feedback loop attempts to keep the tip and cantilever at a constant level of deflection,  $d_0$ . The constant deflection will create a constant elastic force given by eq 3a. Because the PFM measurement uses a lock-in amplifier which only amplifies signals at the same frequency as the reference signal, the constant elastic force will have no effect on the PFM signal.

However, during the scanning motion, the feedback system will be moving the tip vertically with the topography of the sample to maintain a constant deflection. This gives rise to two possible concerns: (1) the feedback frequencies may interfere with the applied drive frequency, and (2) the tip motion from changing topography could cause topographic artifacts if motion occurs at the same frequency as  $V_d$ . A proper  $V_d$  frequency is chosen by taking a frequency sweep of the PR amplitude and choosing a frequency within a range which gives a largely frequency-independent PR amplitude (Supporting Information Note 6 and Figure S7). In this case, 60 kHz was chosen as the  $V_d$  frequency. Topographic artifacts from tip motion are ruled out by taking two successive PFM scans, one with  $V_d$  applied and one without, as shown in Figures 3 and 5. The voltage-off condition serves as an appropriate background measurement in which any tip motion from topography can be subtracted from the actual PFM signal. Because using the substrate or the voltage-off condition as the background signal gives consistent results, we conclude that the tip motion due to

scanning does not have any noticeable effects on the measurement for either substrate.

The next possible contribution to the total force comes from electrostatic forces between the AFM probe and the substrate. These forces can come from the AFM tip or the AFM cantilever, as described by eq 3b. Contributions from the cantilever would act as parallel-plate capacitor-like interactions from the rectangular beam cantilever to the substrate. The dimensions of the cantilever used here are  $125 \mu\text{m} \times 35 \mu\text{m}$ , so any electrostatic interactions from the cantilever would be averaged over this entire area. Since Figures 3 and 5 show clear variation with submicron resolution, electrostatic interactions from the cantilever are concluded to be minimal.

Similarly, electrostatic forces from the AFM tip can contribute to the total force. This force can be written as<sup>29</sup>

$$F_{\text{ES}}^{\text{Tip}} = -\frac{1}{2} \frac{dC_{\text{Tip}}}{dz} \left( V_{\text{DC}} + V_{\text{AC}} \sin(\omega t) + \frac{\Delta\phi}{q} \right)^2 \quad (4)$$

where  $C_{\text{Tip}}$ ,  $V_{\text{DC}}$ ,  $V_{\text{AC}}$ ,  $\omega$ ,  $t$ ,  $\Delta\phi$ , and  $q$  are the tip capacitance, applied DC voltage, applied AC voltage amplitude, frequency, time, work function difference between the tip and area under the tip, and electron charge magnitude, respectively. Because the PFM experiment uses a lock-in amplifier to measure tip deflection, it is sufficient to consider only the first harmonic of eq 4, yielding

$$F_{\text{ES},1\omega}^{\text{Tip}} \propto \left( V_{\text{DC}} + \frac{\Delta\phi}{q} \right) V_{\text{AC}} \quad (5)$$

This relation provides multiple insights for detecting electrostatic contributions to the PR signal. To determine if electrostatic forces are significant, a DC bias sweep can be performed while measuring the resulting PR amplitude. A linear absolute-value dependence on  $V_{\text{DC}}$  with a minimum at  $V_{\text{DC}} = \Delta\phi/q$  is expected if electrostatic forces are playing a role. Figure S8 shows a piezoresponse amplitude versus  $V_{\text{DC}}$  sweep at a drive frequency of 60 kHz and  $V_{\text{AC}} = 8$  V. The piezoresponse amplitude is independent of  $V_{\text{DC}}$  under these conditions, indicating that electrostatic effects and any differences between the workfunctions of the two materials are not significant and can be neglected.

With the elimination of the first two terms in eq 2, the PFM signal must be coming from electromechanical effects. The first effect to consider is piezoelectricity, which is what the PFM was originally designed to measure. The piezoelectric tensor for monolayer MoS<sub>2</sub> can be written as<sup>11</sup>

$$d_{ij} = \begin{bmatrix} d_{11} & -d_{11} & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & -2d_{11} \\ 0 & 0 & 0 & 0 & 0 & 0 \end{bmatrix} \quad (6)$$

where the indices correspond to those in the following definition of converse piezoelectricity

$$\epsilon_j = d_{ij} E_i \quad (7)$$

Here,  $\epsilon_j$  is the strain tensor employing Voigt notation and  $E_i$  is the electric field. It is important to note that the piezoelectric tensor for MoS<sub>2</sub> has nonzero components only within the plane of its atoms and has zero components for all out-of-plane responses. This indicates that there should be no piezoelectric effect out-of-plane. However, our experiments yield a nonzero

value for  $d_{33}^{\text{eff}}$ , suggesting that this signal could be originating from the flexoelectric effect instead of the piezoelectric effect.

The converse flexoelectric tensor for MoS<sub>2</sub> is given by<sup>24</sup>

$$\mu_{mn}^* = \begin{bmatrix} \mu_{11}^* & 0 & 0 & 0 & \mu_{15}^* & 0 & 0 & 0 & \mu_{19}^* \\ \mu_{11}^* & 0 & 0 & 0 & \mu_{11}^* & 0 & 0 & 0 & \mu_{19}^* \\ \mu_{31}^* & 0 & 0 & 0 & \mu_{31}^* & 0 & 0 & 0 & \mu_{39}^* \\ 0 & 0 & 0 & 0 & 0 & \mu_{46}^* & 0 & \mu_{48}^* & 0 \\ 0 & 0 & \mu_{46}^* & 0 & 0 & 0 & \mu_{48}^* & 0 & 0 \\ 0 & \mu_{11}^* - \mu_{15}^* & 0 & \mu_{11}^* - \mu_{15}^* & 0 & 0 & 0 & 0 & 0 \end{bmatrix} \quad (8)$$

where the \* indicates that the converse representation is being used and the indices are defined using the converse flexoelectric equation

$$\sigma_{ij} = \mu_{ijkl}^* \frac{\partial E_k}{\partial x_l} \quad (9)$$

where  $\sigma_{ij}$  is the stress tensor. The four indices can be transformed to two by using Voigt notation for  $ij$ , while  $kl$  follow  $11 \rightarrow 1, 12 \rightarrow 2, 13 \rightarrow 3, 21 \rightarrow 4, 22 \rightarrow 5, 23 \rightarrow 6, 31 \rightarrow 7, 32 \rightarrow 8, 33 \rightarrow 9$  to yield  $\mu_{mn}^*$ .<sup>24</sup>

To a good approximation, we can assume that the electric field in the MoS<sub>2</sub> layer is perpendicular to the surface of the Au and thus the plane of the MoS<sub>2</sub> atoms. With this assumption, the contribution of the first six columns of eq 8 to the electromechanical response of MoS<sub>2</sub> can be neglected. Also, the first two rows describe stresses created in-plane, which will not influence the PFM measurement. Possible contributions to an out-of-plane electromechanical response from an out-of-plane electric field then include  $\mu_{39}^*$  and  $\mu_{48}^*$ . The former is an out-of-plane stress caused by a vertical electric field changing through the thickness of the MoS<sub>2</sub>. The latter is an out-of-plane shear-stress mode caused by a vertical electric field varying laterally as it spreads away from the AFM tip.

In general, a superposition of both  $\mu_{39}^*$  and  $\mu_{48}^*$  will contribute to a measurable  $d_{33}^{\text{eff}}$  value. Although the electromechanical response can be thought of as an effective piezoelectric response, in light of the above analysis it may be more appropriate to refer to the value in this case as an effective flexoelectric response,  $\mu_{\text{eff}}^*$ .

To obtain a rough estimate of  $\mu_{\text{eff}}^*$  from the measured  $d_{33}^{\text{eff}}$ , the gradient  $\partial E_3 / \partial x_3$  is assumed to dominate and is estimated to be  $2V_d / t^2$  (see Supporting Information Note 7 for details). These assumptions combined with eq 9, and  $\sigma = Y\epsilon$  where  $Y$  is Young's modulus, yield the equation

$$\mu_{\text{eff}}^* = \frac{\Delta z}{V_d} \cdot Y \cdot \frac{t}{2} = d_{33}^{\text{eff}} \cdot Y \cdot \frac{t}{2} \quad (10)$$

where  $\Delta z$  is the vertical deflection of the MoS<sub>2</sub>. By taking  $Y = 270 \text{ GPa}$ <sup>37</sup> and  $t$  to be a monolayer thickness of  $6.5 \text{ \AA}$ ,<sup>38</sup> our PFM measurements for MoS<sub>2</sub> on Au and Al<sub>2</sub>O<sub>3</sub>/Si yield values for  $\mu_{\text{eff}}^*$  of 0.08 and 0.12 nC/m, respectively. These estimates are calculated from measurements only on monolayer MoS<sub>2</sub> and further work is needed to analyze how the flexoelectric response would respond with increasing thickness of MoS<sub>2</sub> (see Supporting Information Note 8).

Previous studies<sup>15</sup> have reported that perovskite ceramics in the paraelectric phase have a  $\mu_{\text{eff}}$  on the order of 1–100  $\mu\text{C}/\text{m}$

while single crystal perovskites are on the order of 1 nC/m. Values of  $\mu_{mn}$  for different measurement techniques and those obtained via experiment versus theory can also vary by orders-of-magnitude but are slowly converging.

A common way to get an order of magnitude estimate of the flexoelectric coefficient of a material is to use an estimate developed by Kogan.<sup>39</sup> He estimates the flexocoupling coefficient with the equation

$$f \approx \frac{q}{4\pi\epsilon_0 a} \quad (11)$$

where  $a$  is the lattice constant of the material. With the definition

$$\mu \equiv \chi f \quad (12)$$

where  $\chi$  is the susceptibility of MoS<sub>2</sub>, an order of magnitude estimate of  $\mu_{\text{eff}}$  can be obtained for MoS<sub>2</sub>. Taking  $a = 3.2 \text{ \AA}$ <sup>40</sup> and  $\chi$  to be  $3\epsilon_0$ ,<sup>41</sup> the estimate of  $\mu_{\text{eff}}$  is 0.12 nC/m. This is remarkably similar to the values derived from our experiments above.

The possibility of contamination on MoS<sub>2</sub> causing the measured out-of-plane electromechanical effects should not be overlooked. X-ray photoelectron spectroscopy (XPS) has been performed to detect the presence of various elements on the sample surfaces. Excess carbon, oxygen, and silicon are seen on the surface of the samples (see Supporting Information Note 9 and Table S1). Much of this is likely to be residue remaining on the surfaces after the polydimethylsiloxane (PDMS) transfer process, adventitious carbon that coats most surfaces when exposed to air, potentially other hydrocarbons, or unreacted MoO<sub>3</sub> precursor from the CVD process. The residue blankets the surface as it is detectable on the Au surface which contacts the PDMS but does not contain MoS<sub>2</sub>. The substrate with residue gives little PFM signal, and the background subtraction process should remove most of the contribution to the signal generated from the residue. This does not conclusively rule out that the residue interacts differently with the MoS<sub>2</sub> than the substrate or that the slightly higher oxygen content on the sample affects the measurement. Further analysis is needed to definitively rule out contaminations affecting the measurement. However, the current experiment and analysis yields a strong possibility that out-of-plane flexoelectricity is present in monolayer MoS<sub>2</sub>.

In summary, this work has shown that monolayer MoS<sub>2</sub> has an average measurable out-of-plane electromechanical response with a  $d_{33}^{\text{eff}}$  of  $1.03 \pm 0.22 \text{ pm/V}$  on Au and  $1.35 \pm 0.24 \text{ pm/V}$  on Al<sub>2</sub>O<sub>3</sub>/Si. There is strong evidence that its origin is from the flexoelectric effect rather than the piezoelectric effect, and an estimate of the effective flexoelectric coefficient  $\mu_{\text{eff}}^*$  yields 0.10 nC/m. The presence of flexoelectricity in 2D materials has implications across many fields. In 2D material electronics, for example, roughness in the substrate surface could create local curvature and thus local polarization that could affect electronic device performance.<sup>42</sup> It also opens the door to making new types of nanoscale sensors, actuators, or energy harvesters which could be used in conjunction with piezoelectricity to enhance operation.

**Methods.** Monolayer MoS<sub>2</sub> is grown via CVD on SiO<sub>2</sub> from solid precursors.<sup>43</sup> The as-grown MoS<sub>2</sub> is under roughly 0.21% residual tensile strain,<sup>44</sup> which is released during the transfer process. A PDMS stamp and a water bath are used to separate the MoS<sub>2</sub> from the growth substrate. The PDMS/MoS<sub>2</sub> is then placed on the receiving substrate, Au/Si or Al<sub>2</sub>O<sub>3</sub>/Si, and



heated with a hot plate to 50 °C. Slowly peeling away the PDMS transfers the MoS<sub>2</sub> to the substrate (see Figure S2 for details).

The Au sample is created via electron beam evaporation onto an n<sup>++</sup> silicon substrate. A 5 nm titanium adhesion layer is first deposited followed by 70 nm of Au. The Al<sub>2</sub>O<sub>3</sub>/Si sample is fabricated by first submerging a n<sup>++</sup> doped silicon substrate in 80:1 diluted HF to remove any oxide layer. The bare silicon is then immediately transferred into a Fiji ALD system. Using a trimethylaluminum precursor, a 5.3 nm thick layer of Al<sub>2</sub>O<sub>3</sub> is deposited and thickness measured with a J.A. Woollam M-2000 DI ellipsometer.

Raman and PL data are taken using a Renishaw inVia Raman microscope with a 532 nm laser. PL and Raman data of the MoS<sub>2</sub> taken on the growth substrate, PDMS stamp, and Au sample show a clear relaxation of strain after the MoS<sub>2</sub> is removed from the growth substrate (see Figure S6).

PFM measurements are done on a Bruker (formerly Veeco) Dimension Icon AFM. Conductive cobalt–chromium AFM cantilevers are used (Bruker MESP-RC-V2) for PFM measurements. Tapping mode AFM images were taken using etched silicon cantilevers (Bruker TESP). A PFM drive frequency of 60 kHz and a drive amplitude of 8 V is used in all PFM measurements. See Supporting Information for more details.

## ■ ASSOCIATED CONTENT

### ■ Supporting Information

(PDF) The Supporting Information is available free of charge on the ACS Publications website at DOI: 10.1021/acs.nanolett.7b02123.

PFM setup, equation for  $d_{33}^{\text{eff}}$  from raw PFM Data, CVD-grown MoS<sub>2</sub> transfer process, MoS<sub>2</sub> thickness determination and optical characterization difficult, MoS<sub>2</sub> on Au thickness determination, MoS<sub>2</sub> on Al<sub>2</sub>O<sub>3</sub> thickness determination, MoS<sub>2</sub> on SiO<sub>2</sub> growth substrate thickness determination, photoluminescence measurements, background subtraction for  $d_{33}^{\text{eff}}$  estimation, uncertainty estimation, voltage drop through MoS<sub>2</sub> on Al<sub>2</sub>O<sub>3</sub>, determination of drive frequency for PFM, piezoresponse amplitude vs DC bias sweep, estimating  $\mu_{\text{eff}}^*$ , electro-mechanical response with increasing MoS<sub>2</sub> thickness, XPS measurements (PDF)

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### Author Contributions

C.J.B. performed the sample fabrication, AFM, PFM, Raman, photoluminescence, and data analysis. R.G. and S.B. provided CVD grown MoS<sub>2</sub> and assisted in the transfer process. K.K. assisted in AFM measurements. N.L. and E.T.Y. assisted in project design and supervised research. C.J.B., N.L., and E.T.Y. wrote the manuscript.

### Notes

The authors declare no competing financial interest.

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## ■ ABBREVIATIONS

AFM, atomic force microscopy; CVD, chemical vapor deposition; MEMS, microelectromechanical systems; PDMS, polydimethylsiloxane; PFM, piezoresponse force microscopy; PL, photoluminescence; PR, piezoresponse; TMDs, transition metal dichalcogenides; XPS, X-ray photoelectron spectroscopy

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# Supporting Information

## Out-of-Plane Electromechanical Response of Monolayer Molybdenum Disulfide Measured by Piezoresponse Force Microscopy

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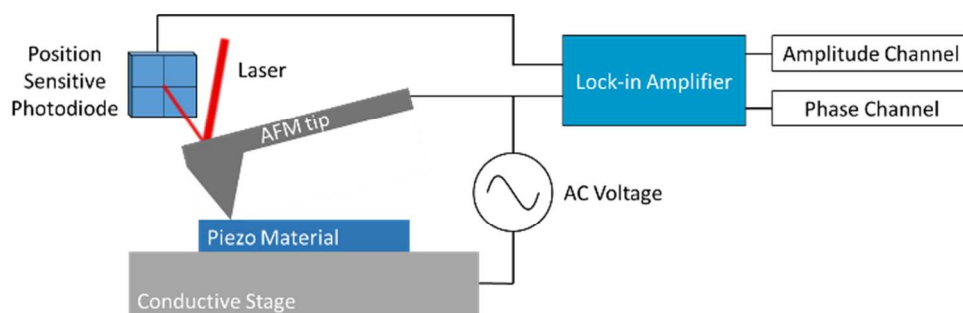
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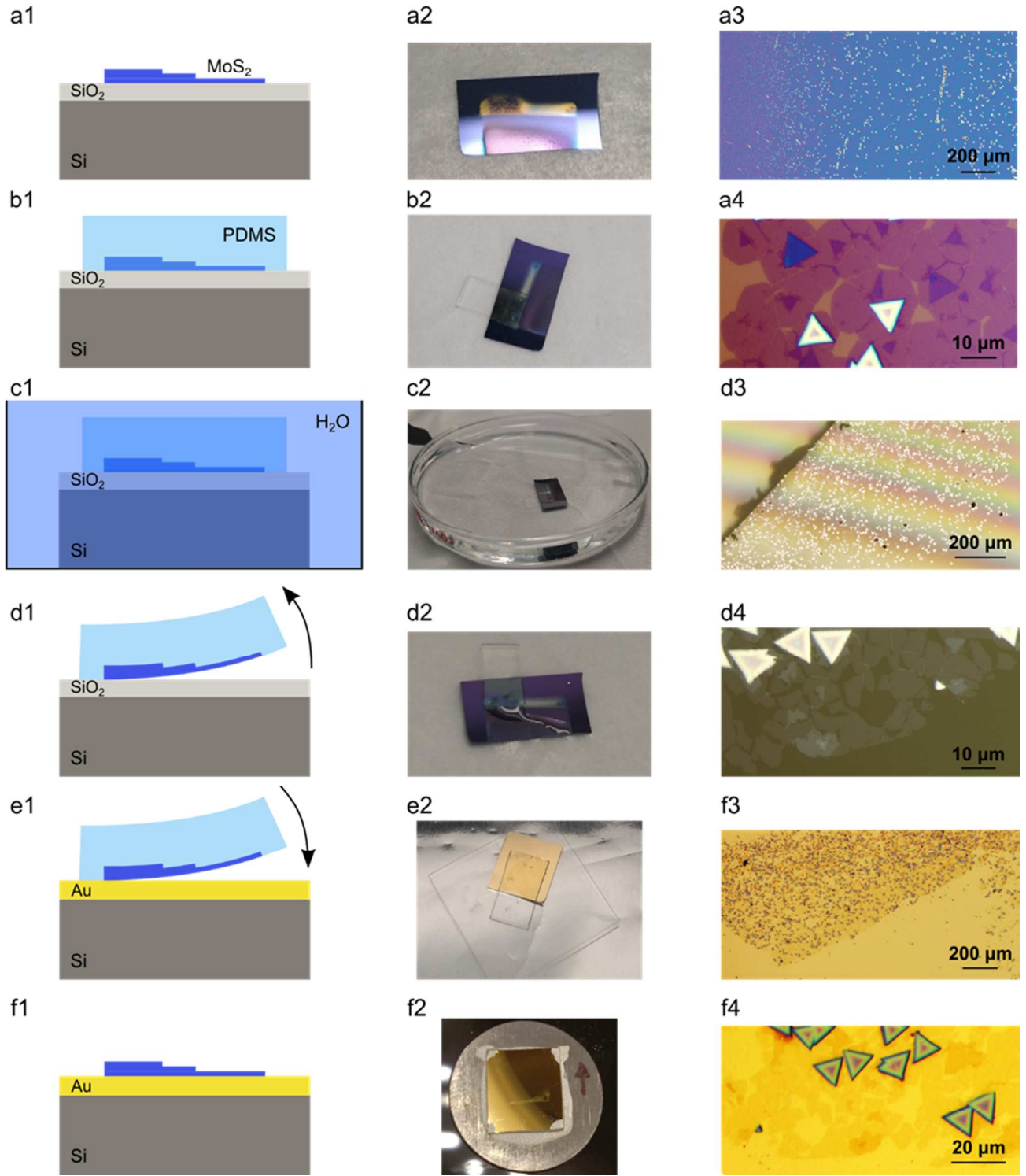
**Figure S1.** A schematic showing the PFM process and the tip sample geometry. An AC voltage is applied across the material to be measured. The AC voltage is also routed to a lock-in amplifier which uses its frequency as the reference frequency. The AC voltage causes a corresponding alternating expansion and contraction in the piezoelectric material which is measured as a laser deflection in a position sensitive photodiode (PSD). This signal is fed into the lock-in amplifier and the frequency component at the reference frequency is amplified. The lock-in amplifier outputs two different channels, the amplitude and phase of the amplified signal.



***Supporting Note 1: Equation for  $d_{33}^{eff}$  From Raw PFM Data***

The  $d_{33}^{eff}$  values given in this paper required processing from the raw data captured by the PFM. Two channels of data are captured in a PFM measurement: the piezoresponse amplitude and the piezoresponse phase (see Figure S1). The piezoresponse amplitude channel is captured as a voltage produced by laser movement on a position sensitive photodiode. The voltage is then converted into physical deflection by measuring the deflection sensitivity,  $s_d$ , of the AFM cantilever. This is done by measuring how much the laser is deflected in the PSD for a known vertical movement. Also during the PFM measurement, a hardware gain of 16x is used to enhance the signal. Based on these factors  $d_{33}^{eff}$  is then given by

$$d_{33}^{eff} = \frac{(PR\ AMP) \cdot s_d}{V_d \cdot GAIN}. \quad (S1)$$



**Figure S2.** The transfer process of CVD grown MoS<sub>2</sub> is shown schematically in (a1-f1) and pictorially in (a2-f2). The process flow is as follows: (a1) MoS<sub>2</sub> is grown on SiO<sub>2</sub> via CVD, (b1) a PDMS stamp is pressed on the MoS<sub>2</sub>, (c1) the sample is submerged in water, (d1) the sample is removed from water,

dried, and the PDMS is peeled off with some MoS<sub>2</sub>, (e1) the MoS<sub>2</sub> on PDMS is placed on the receiving substrate, gold shown here, and heated on a hot plate to 50 °C, (f1) finally the PDMS stamp is slowly peeled away, leaving the MoS<sub>2</sub> on the receiving substrate. Microscope images at two different magnifications show the MoS<sub>2</sub> on the growth substrate (a3-4), on the PDMS stamp (d3-4), and on the gold substrate (f3-4). Due to the PDMS being soft, strain from bending can cause cracking of the MoS<sub>2</sub> during the transfer process. This type of damage will not affect our PFM measurements.

***Supporting Note 2: MoS<sub>2</sub> Thickness Determination and Optical Characterization Difficulty***

AFM step height measurements on 2D materials have been shown to be somewhat unreliable and dependent on AFM measurement conditions<sup>1,2</sup>. This is exacerbated if the 2D material and its substrate have different mechanical properties<sup>3-5</sup>. Additionally, obtaining step-height measurements on substrates which have a roughness on the order of the film thickness is difficult. We have also seen slight variation between different AFM measurements of the same sample. Despite this, we believe that we have reasonably confirmed that we are measuring monolayer MoS<sub>2</sub> on both substrates.

Figure S3 shows MoS<sub>2</sub> on gold. The AFM height profile shown in Figure S3b reveals that the MoS<sub>2</sub> measured in Figure 3 of the main text is monolayer. The Raman data in Figure S3d further confirms the presence of monolayer MoS<sub>2</sub>, with an  $A_{1g} - E_{2g}^1$  ( $A_1' - E'$ ) peak separation of 19.7 cm<sup>-1</sup>. The photoluminescence (PL) data (Figure S3e) also shows a significantly higher intensity on the monolayer region than on the multilayer region.

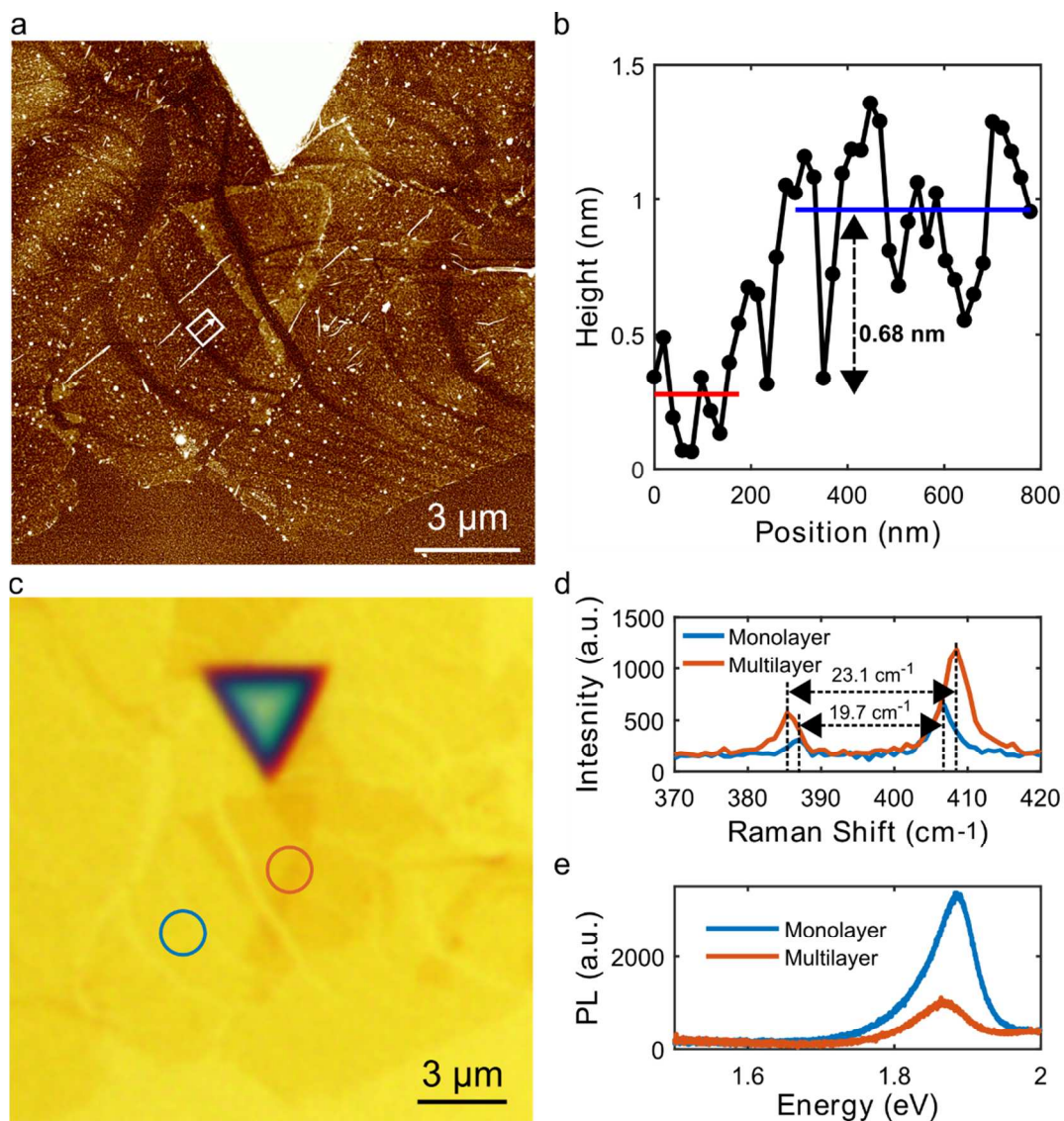
The thickness of MoS<sub>2</sub> on Al<sub>2</sub>O<sub>3</sub> is more difficult to characterize. Figure S4a shows a tapping mode AFM image of the sample measured with PFM in Figure 5. The monolayer step shows a height value thicker than expected for a monolayer. Different literature reports have shown that 2D material step height measurements can be somewhat unreliable<sup>1,2</sup> and can be affected by differences in the mechanical properties of the 2D material and its substrate<sup>3-5</sup>. These issues are often solved by performing Raman and PL measurements to confirm the presence of monolayer MoS<sub>2</sub>. This is unfortunately not possible in our



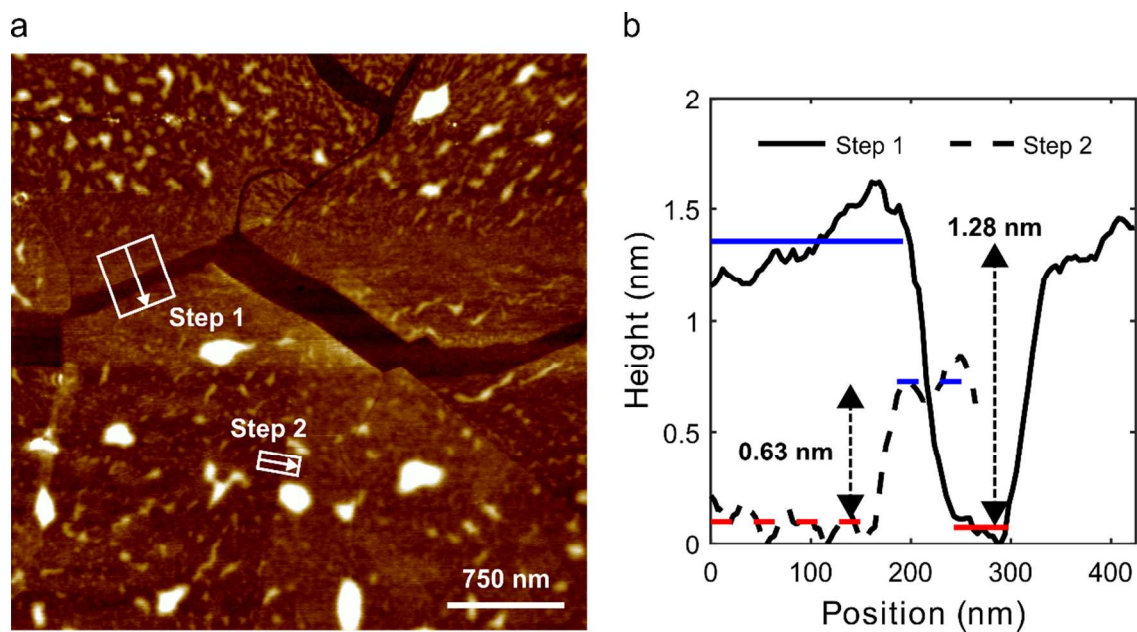
sample because these two techniques give very weak signals when on such a thin layer of  $\text{Al}_2\text{O}_3$  on silicon.

The sample geometry does not allow enough light to be absorbed by the  $\text{MoS}_2$  to give measurable Raman and PL data, as is indicated by the poor optical contrast in the optical microscope image in Figure 1. Typically, thicker dielectric layers create internal reflections of light that allow for an increased optical contrast and absorption of light in the 2D materials<sup>4</sup>.  $\text{MoS}_2$  directly placed on a silicon substrate does not absorb enough light (and emission is quenched) to give a measurable Raman and PL signal<sup>6</sup>. Also, a recent study has shown that for the thickness of  $\text{Al}_2\text{O}_3$  used in this paper ( $\sim 5.3$  nm),  $\text{MoS}_2$  is expected to have a very poor optical contrast<sup>7</sup>. With this understanding, it is expected that the Raman and PL signals of thin  $\text{MoS}_2$  on 5.3 nm  $\text{Al}_2\text{O}_3$  on silicon will be weak. Thicker regions of  $\text{MoS}_2$  that are optically visible do give a measurable signal, as shown in Figure 2. Other studies showing Raman and PL of  $\text{MoS}_2$  on sapphire and thin  $\text{Al}_2\text{O}_3$  seem to mostly be on bulk sapphire<sup>8</sup> or sufficiently thick ( $\sim 50$  nm)  $\text{Al}_2\text{O}_3$  to offer optical contrast in microscope images<sup>7</sup>.

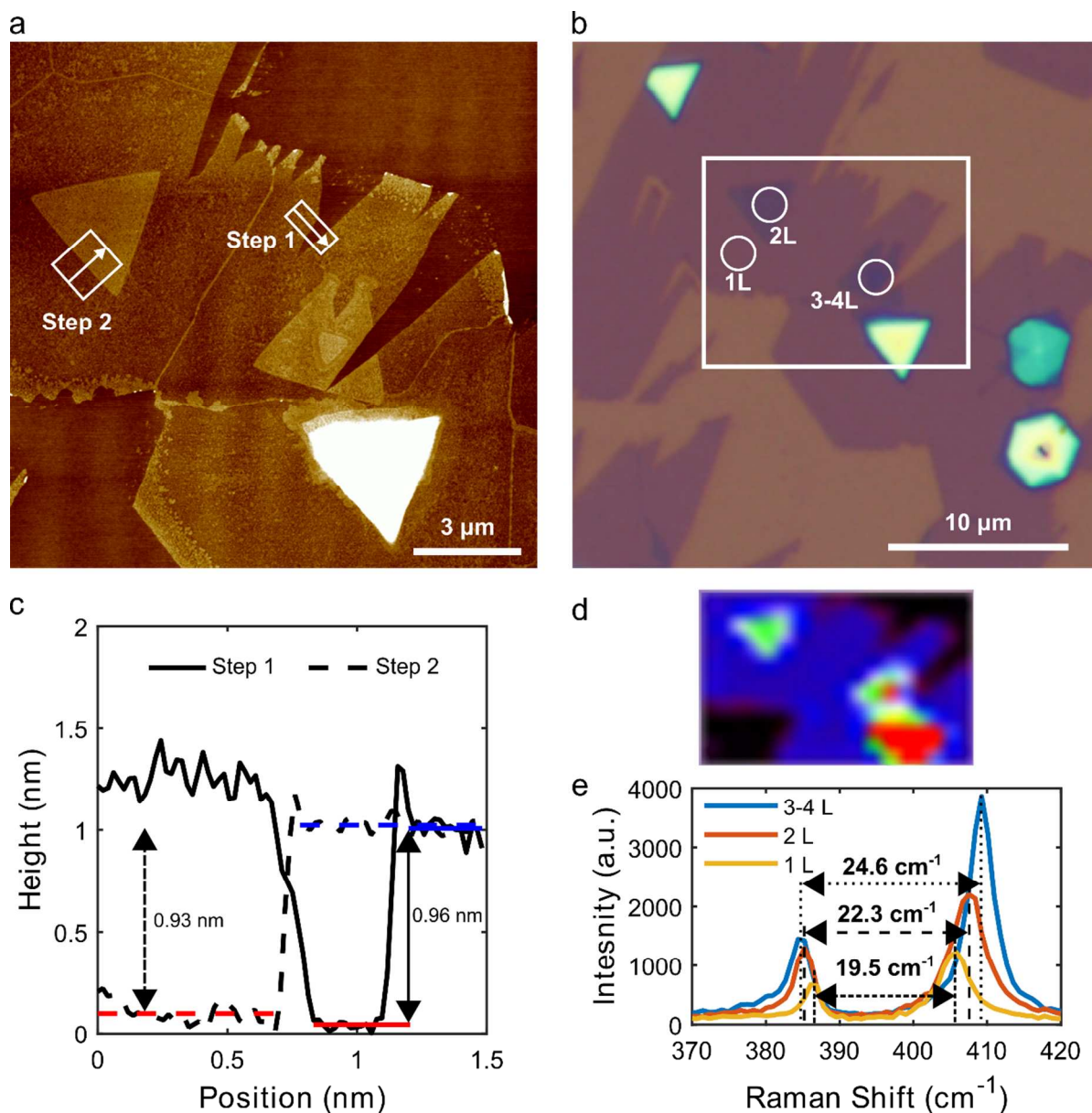
To overcome this, we characterize the  $\text{MoS}_2$  remaining on the  $\text{SiO}_2$  growth substrate after the transfer process. Figure S5 shows that the  $\text{MoS}_2$  on the growth  $\text{SiO}_2$  also shows slightly inflated thickness values as measured by the AFM. However, Raman data (Figure S5e) confirms that this area of  $\text{MoS}_2$  is monolayer. The thickness of monolayer  $\text{MoS}_2$  measured on the growth substrate and after being transferred to the  $\text{Al}_2\text{O}_3$  is comparable. Also, no thinner areas of  $\text{MoS}_2$  on  $\text{Al}_2\text{O}_3$  or  $\text{SiO}_2$  are found across the samples. In the calculation done in this work, the thickness of monolayer  $\text{MoS}_2$  is chosen to be 0.65 nm because this has been agreed upon in the literature as the thickness of pristine  $\text{MoS}_2$ . Any deviations from this value measured by AFM in this paper are attributed to errors in the AFM measurement.



**Figure S3.** Tapping mode AFM image of MoS<sub>2</sub> on the gold substrate is shown in (a). A height profile is given for the white box in (a) where the width of the box indicates the area averaged to obtain (b). An optical microscope image is shown in (c). The blue and orange circles represent monolayer and multilayer MoS<sub>2</sub> measurement locations for Raman spectroscopy (d) and photoluminescence (e) measurements.

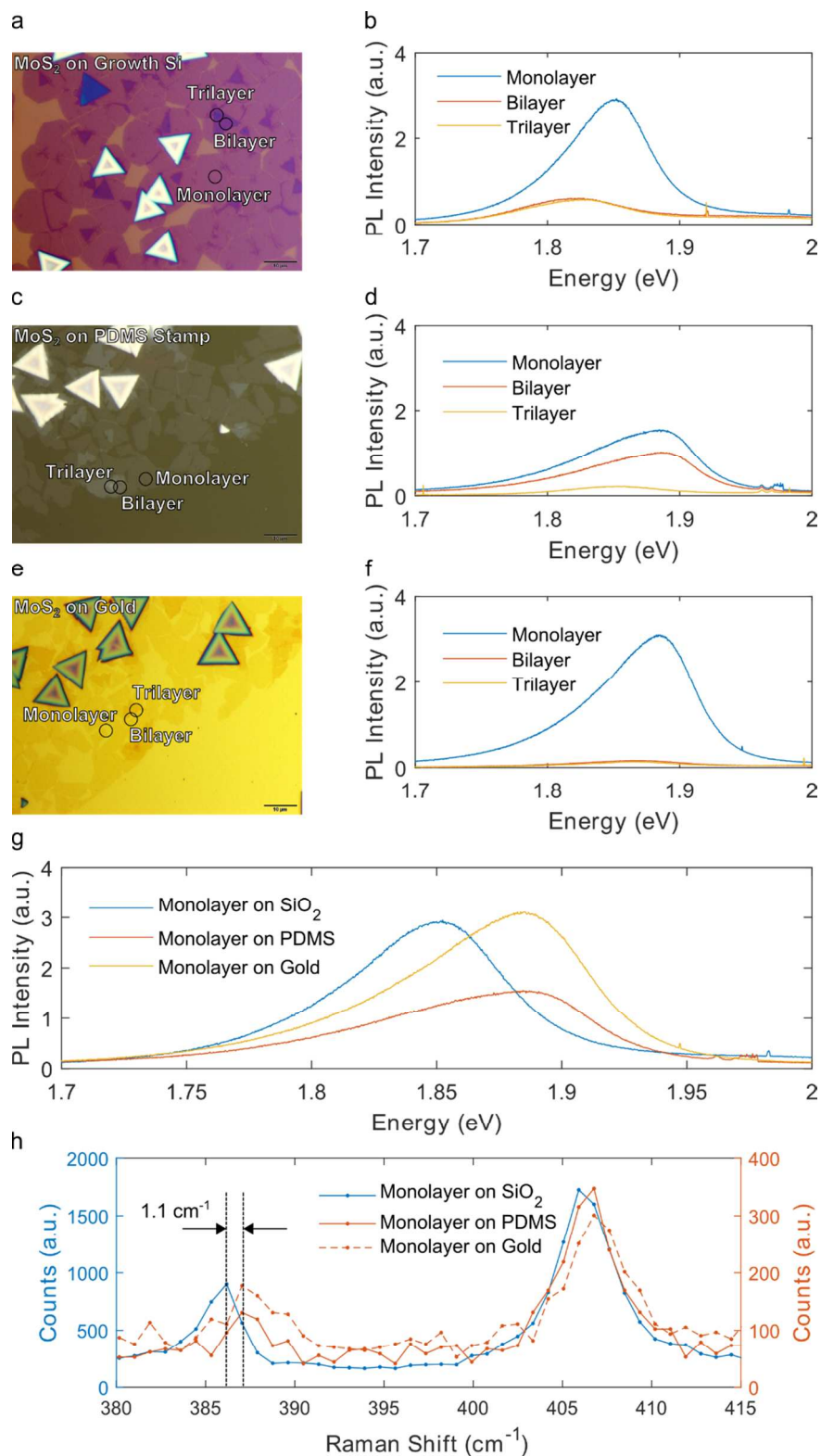


**Figure S4.** A tapping mode AFM image taken of the MoS<sub>2</sub> on Al<sub>2</sub>O<sub>3</sub> sample a few months after the PFM measurement taken in Figure 5 is shown in (a). (b) shows step height profiles for the two boxes highlighted in (a). Step 1 shows a step from monolayer MoS<sub>2</sub>, to the Al<sub>2</sub>O<sub>3</sub> substrate, to another monolayer region. The AFM height is inflated from the expected monolayer thickness and is attributed to scanning over materials with different mechanical properties. Step 2 shows a monolayer to bilayer MoS<sub>2</sub> step with an expected thickness value.



**Figure S5.** A tapping mode AFM image is shown in (a) with boxes representing areas in which step height measurements are taken and displayed in (c). An optical image is shown in (b), where the white box represents the area shown in (d) and depicts a color-coded Raman map. The color corresponds to the integrated intensity of the  $A_{1g}$  MoS<sub>2</sub> peak to the silicon peak at 520  $\text{cm}^{-1}$ . As expected, the signal becomes stronger as thicker MoS<sub>2</sub> is measured. Raman spectra of the points circled in (b) are shown in (e). This confirms the presence of monolayer MoS<sub>2</sub>.





**Figure S6.** Microscope images of the MoS<sub>2</sub> on the growth substrate (a), PDMS stamp (c), and gold (e), with corresponding photoluminescence measurements (b,d,f). As expected, the monolayer MoS<sub>2</sub> has the

highest PL intensity because of its transition to a direct-gap semiconductor at the monolayer limit. PL and Raman data from the MoS<sub>2</sub> on the different substrates are shown together in (g) and (h), respectively, to show the peak shifts. The substrate can affect the peak locations on the PL signal<sup>4</sup>, so PL alone is not reliable to determine strain. The  $E_{2g}^1$  Raman peak is sensitive to strain and can be used to estimate the amount of residual biaxial strain present in the MoS<sub>2</sub> while on the growth substrate of SiO<sub>2</sub><sup>9</sup>. With a shift of roughly 1.1 cm<sup>-1</sup> in the  $E_{2g}^1$ , we estimate a residual tensile strain of 0.21 %.

***Supporting Note 3: Background Subtraction for  $d_{33}^{eff}$  Estimation***

Although **eq S1** is strictly correct, a background signal is always present regardless of the material that is being measured. To remove this background signal, which may be cantilever, sample, or PFM dependent, a background subtraction process is implemented which uses both the piezoresponse amplitude and piezoresponse phase channels.

First, a PFM image that includes monolayer MoS<sub>2</sub> and the exposed substrate is taken with the drive voltage ( $V_d$ ) applied. Immediately following this, a second PFM image is taken without applying  $V_d$  to the sample. This allows for two different types of background measurements: one that measures the response of the substrate, and one that measures the error introduced by any tip motion during the scanning process or from the feedback electronics.

Second, values of the piezoresponse amplitude and piezoresponse phase for each material are gathered by averaging over areas that contain either monolayer MoS<sub>2</sub>, exposed substrate, or any area for the  $V_{off}$  PFM image (there are no distinguishable differences in the piezoresponse amplitude or phase signal on the MoS<sub>2</sub> and substrate when  $V_d$  is not applied).

Vectors can now be constructed from the piezoresponse amplitude and piezoresponse phase measurements taken on the MoS<sub>2</sub>, substrate, and  $V_{off}$  image. A background-subtracted piezoresponse amplitude estimate is then obtained by performing a vector subtraction of the background signal vector from the MoS<sub>2</sub> signal vector. The new piezoresponse amplitude of the background-subtracted vector is used in **eq S1** to estimate  $d_{33}^{eff}$ . This process is illustrated schematically in Figure 4.

The same subtraction procedure is applied with the MoS<sub>2</sub> and V<sub>off</sub> vectors to obtain another estimate of  $d_{33}^{eff}$ . If there is little contribution to the signal measured on the MoS<sub>2</sub> by the substrate, the MoS<sub>2</sub>-substrate and MoS<sub>2</sub>-V<sub>off</sub>  $d_{33}^{eff}$  estimates should be similar, which is indeed the case. Lastly, the contribution to the piezoresponse signal by the substrate can be estimated by doing a substrate-V<sub>off</sub> vector subtraction. This yields order-of-magnitude smaller values than on the MoS<sub>2</sub>, suggesting that the substrates used in this experiment are not responding electromechanically in the PFM measurements.

#### ***Supporting Note 4: Uncertainty Estimation***

The uncertainty in the  $d_{33}^{eff}$  measurement is calculated by using error propagation of the measured values. To do this an equation must be created which incorporates all variables containing uncertainty. In this case, the equation for  $d_{33}^{eff}$  is

$$d_{33}^{eff} = \frac{s_d}{v_d \cdot g} |\overrightarrow{A^{BS}}|, \quad (S2)$$

where  $|\overrightarrow{A^{BS}}|$  is the amplitude, in mV, of the background subtracted vector.  $|\overrightarrow{A^{BS}}|$  can be expanded in terms of the measured values as

$$|\overrightarrow{A^{BS}}| = \sqrt{|\overrightarrow{A^M}|^2 + |\overrightarrow{A^B}|^2 - 2 |\overrightarrow{A^M}| |\overrightarrow{A^B}| \cos(\theta^M - \theta^B)}, \quad (S3)$$

where  $|\overrightarrow{A^M}|$ ,  $\theta^M$ ,  $|\overrightarrow{A^B}|$ , and  $\theta^B$  are the amplitude and phase of the vector measured on the MoS<sub>2</sub> and background, respectively.

The uncertainty of  $|\overrightarrow{A^{BS}}|$  can be obtained by using the formula

$$\sigma_{A-BS} = \sqrt{\left(\frac{\partial |\overrightarrow{A^{BS}}|}{\partial |\overrightarrow{A^M}|}\right)^2 \sigma_{AM}^2 + \left(\frac{\partial |\overrightarrow{A^{BS}}|}{\partial |\overrightarrow{A^B}|}\right)^2 \sigma_{AB}^2 + \left(\frac{\partial |\overrightarrow{A^{BS}}|}{\partial \theta^M}\right)^2 \sigma_{PM}^2 + \left(\frac{\partial |\overrightarrow{A^{BS}}|}{\partial \theta^B}\right)^2 \sigma_{PB}^2}, \quad (S4)$$

where  $\sigma_{AM}$ ,  $\sigma_{AB}$ ,  $\sigma_{PM}$ ,  $\sigma_{PB}$ , are the uncertainties associated with the amplitude of the MoS<sub>2</sub> and background, and the phase of the MoS<sub>2</sub> and background, respectively. The values for the measured amplitudes and phases are obtained by performing a Gaussian fit over a distribution of points in the PFM measurement to find a mean value. The associated uncertainties are taken to be the 95% confidence interval of the fitted mean values. All calculations are done using MATLAB.

Next, the error must be propagated through **eq S2**. This can be done by using the equation

$$\sigma_d = d_{33}^{eff} \sqrt{\left(\frac{\sigma_s}{s_d}\right)^2 + \left(\frac{\sigma_V}{V_d}\right)^2 + \left(\frac{\sigma_{A-BS}}{|ABS|}\right)^2}, \quad (S5)$$

where  $\sigma_d$ ,  $\sigma_s$ , and  $\sigma_V$ , are the uncertainties associated with  $d_{33}^{eff}$ ,  $s_d$ , and  $V_d$ , respectively.

This value represents the uncertainty in the fitting of the mean value of the measurements. To incorporate any uncertainty originating from the substrate on the measurement, the  $d_{33}^{eff}$  calculated when comparing the substrate to the  $V_{off}$  condition can be thought of an error estimate. The total uncertainty can then be calculated as

$$\sigma_{tot} = \sqrt{\sigma_d^2 + d_{33,sub-V_{off}}^{eff}^2}. \quad (S6)$$

In **Table 1**, the calculated  $d_{33}^{eff}$  and  $\sigma_{tot}$  are shown for background subtraction of MoS<sub>2</sub> versus the substrate, MoS<sub>2</sub> versus the  $V_{off}$  condition, and  $d_{33}^{eff}$  and  $\sigma_d$  for comparing the substrate versus the  $V_{off}$  condition.

**Supporting Note 5: Voltage drop through MoS<sub>2</sub> on Al<sub>2</sub>O<sub>3</sub>**

Assuming that the electric flux density through the two materials is equal, we have

$$\epsilon_{MoS_2} E_{MoS_2} = \epsilon_{Al_2O_3} E_{Al_2O_3}. \quad (S7)$$

The electric field is given by

$$E_i = -\frac{V_i}{t_i} \quad (S8)$$



where  $t$  is the thickness of the material. Combining **eq S7** and **eq S8**, we obtain

$$\epsilon_{MoS_2} \frac{V_{MoS_2}}{t_{MoS_2}} = \epsilon_{Al_2O_3} \frac{V_{Al_2O_3}}{t_{Al_2O_3}}. \quad (S9)$$

Now, by using

$$V_{MoS_2} + V_{Al_2O_3} = V_d, \quad (S10)$$

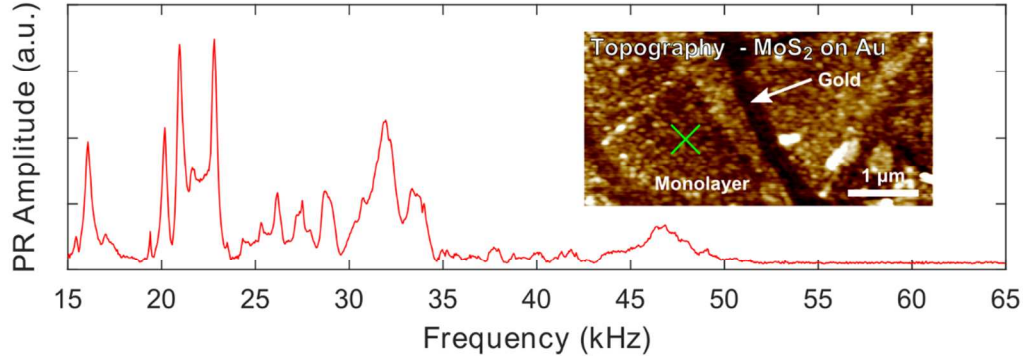
where  $V_d$  is the drive voltage, we can obtain

$$V_{MoS_2} = V_d \frac{\epsilon_{Al_2O_3}/t_{Al_2O_3}}{\epsilon_{MoS_2}/t_{MoS_2} + \epsilon_{Al_2O_3}/t_{Al_2O_3}}. \quad (S11)$$

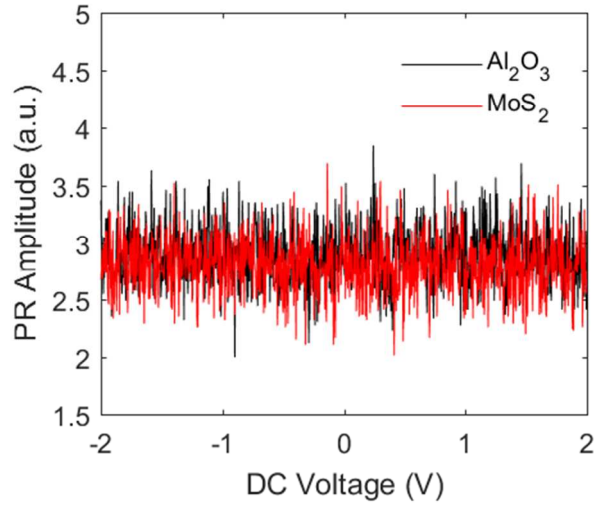
***Supporting Note 6: Determination of Drive Frequency for PFM***

The piezoresponse amplitude of the PFM measurement is in general frequency dependent. A typical frequency sweep of the piezoresponse amplitude on the MoS<sub>2</sub>/gold sample is shown in Figure S7. This frequency dependence should not be of electromechanical origin, but instead is most likely caused by the measurement electronics. Similar frequency dependencies are seen with different cantilevers, different substrates, and when the drive voltage is not routed to the sample. This is another reason for doing a PFM measurement without applying the drive voltage to obtain a background signal.

The drive frequency used in the measurements must be away from the extraneous peaks in the piezoresponse amplitude frequency sweep as well as away from the clamped mechanical resonance point of the cantilever (roughly 800 kHz). The frequency 60 kHz is chosen because it is within a frequency independent region in the frequency sweep.



**Figure S7.** The PR amplitude vs drive voltage frequency measured on the MoS<sub>2</sub> on gold sample. The location of the measurement is denoted by the 'x' in the inset AFM topographic image. A chaotic relationship is seen at the lower frequencies, but at higher frequencies the PR amplitude becomes independent of frequency. 60 kHz is used in all PFM measurements to be well within the frequency independent region. These frequencies are well below the contact resonant point of the AFM cantilever.



**Figure S8.** The PR amplitude measured as the DC voltage between the AFM tip and n<sup>++</sup> Si is swept on the MoS<sub>2</sub> / Al<sub>2</sub>O<sub>3</sub> sample. Measurements on both the MoS<sub>2</sub> and the Al<sub>2</sub>O<sub>3</sub> show that the PR amplitude is independent from the DC voltage. This indicates that the electrostatic interactions and work-function differences are not significant.

**Supporting Note 7: Estimating  $\mu_{eff}^*$**

To estimate  $\mu_{eff}^*$ , let us first better understand **eq 7** and **eq S1**. By doing a PFM measurement, converse piezoelectricity is used to effectively measure the strain caused by an applied electric field. Using the definition of strain,

$$\varepsilon_3 = \frac{\Delta z}{t}, \quad (\text{S12})$$

where  $\Delta z$  is the vertical deflection measured by the PFM (piezoresponse amplitude) and  $t$  is the thickness of the material being measured, **eq 7** can be written as

$$d_{33}^{eff} = \frac{\Delta z}{tE_3}. \quad (\text{S13})$$

This is similar to **eq S1** where  $\Delta z$  contains the deflection sensitivity and the gain factor, and therefore represents the actual deflection of the sample.

Now consider the different components in **eq 9** which may be present in  $\text{MoS}_2$  if we assume that the electric field is perpendicular to the surface of the gold and  $\text{MoS}_2$ :

$$\sigma_1 = \mu_{19}^* \frac{\partial E_3}{\partial x_3}, \quad (\text{S14a})$$

$$\sigma_2 = \mu_{19}^* \frac{\partial E_3}{\partial x_3}, \quad (\text{S14b})$$

$$\sigma_3 = \mu_{39}^* \frac{\partial E_3}{\partial x_3}, \quad (\text{S14c})$$

$$\sigma_4 = \mu_{48}^* \frac{\partial E_3}{\partial x_2}, \quad (\text{S14d})$$

$$\sigma_5 = \mu_{48}^* \frac{\partial E_3}{\partial x_1}. \quad (\text{S14e})$$

Of these components,  $\sigma_1$  and  $\sigma_2$  will create in-plane stress which may or may not create out-of-plane displacement due to Poisson-like effects. In **eq S14d** and **eq S14e**, the out-of-plane shear stress contributions  $\sigma_4$  and  $\sigma_5$  could create contributes to measured out-of-plane displacement. The most likely out-of-plane displacement would be due to **eq S14c** where an out-of-plane electric field changing in the z-

direction causes stress is the z-direction. This is plausible because the gradient is taken over the very short distance of a single monolayer of MoS<sub>2</sub>.

For simplicity, we assume that the geometry and response of the system is approximated by **eq S14c** and substitute  $\mu_{eff}^*$  for  $\mu_{39}^*$ . Next, we assume that the dominant electric field derivative term,  $\partial E_3/\partial x_3$ , can be approximated, at these small length scales, as  $\partial E_3/\partial x_3 \approx 2V_d/t^2$ . This assumption corresponds to a linear dependence of  $E_3$  on  $x_3$ , and a quadratic dependence of the electrostatic potential on  $x_3$ , within the MoS<sub>2</sub> layer, subject to the boundary conditions that  $E_3$  vanish in the metal tip and sample contact, and that the total potential drop across the MoS<sub>2</sub> layer be  $V_d$ . Finally, using  $\sigma = Y\varepsilon$  and **eq S13**, **eq 9** can be rewritten as

$$\mu_{eff}^* = \frac{\Delta z}{V_d} \cdot Y \cdot \frac{t}{2} = d_{33}^{eff} \cdot Y \cdot \frac{t}{2}. \quad (\text{S17})$$

Assuming  $Y = 270$  GPa and  $t = 0.65$  nm for monolayer MoS<sub>2</sub>, **eq S17** yields 0.08 nC/m and 0.12 nC/m, based on PFM measurements for MoS<sub>2</sub> on gold and Al<sub>2</sub>O<sub>3</sub>/Si, respectively. This serves only as an order-of-magnitude estimate of  $\mu_{eff}^*$ .

### ***Supporting Note 8: Electromechanical Response with Increasing MoS<sub>2</sub> Thickness***

Detailed analysis of the effect of thickness on the calculations is beyond the scope of this paper, but should be addressed briefly. Piezoelectricity does depend on the number of layers present as shown in literature<sup>10,11</sup>. Few-, odd-number layers of MoS<sub>2</sub> have a symmetry such that no inversion symmetry point is present, resulting in in-plane piezoelectricity. Even-layered MoS<sub>2</sub>, on the other hand, has a different symmetry which has an inversion symmetry point and is thus not piezoelectric. Additionally, as the number of odd-layers increases to 3, 5, 7, etc., the in-plane MoS<sub>2</sub> can increasingly be considered ‘bulk’ which is not piezoelectric. The result is a stark decrease in the piezoelectric response as the number of layers increase, as is confirmed in references<sup>10,11</sup>. It should be emphasized that regardless of the number of layers present, these piezoelectric responses are only within the plane of the MoS<sub>2</sub> film.



Flexoelectricity is more difficult to analyze with increasing thickness. As MoS<sub>2</sub> transitions from odd-number to even-number layer, its point group changes from  $D_{3h}$  to  $D_{3d}$ , respectively. The resulting flexoelectric tensors are different from each other<sup>12</sup>, but still have non-zero out-of-plane coefficients, namely  $\mu_{39}^*$ . These differences make it more difficult to directly compare even- and odd-numbered layers of MoS<sub>2</sub> by using the PFM technique, especially since we are grouping the total response into the effective value  $\mu_{eff}^*$ . Moreover, our estimates for  $\mu_{eff}^*$  rely on estimates of the electric field distribution throughout the thickness of MoS<sub>2</sub>. This field distribution will certainly change with increasing layer thickness and is beyond the scope of this paper to calculate. These issues are a subject of ongoing investigation and may be the subject of a future publication.

#### ***Supporting Note 9: XPS Measurements***

XPS measurements were performed to look for surface contaminants that could affect the PFM signal. Three separate samples were measured: 1) the MoS<sub>2</sub> on gold sample for which PFM images are shown in Figure 3, 2) gold deposited on an Si/SiO<sub>2</sub> substrate, 3) gold deposited on an Si/SiO<sub>2</sub> substrate that was stamped by PDMS without MoS<sub>2</sub>. **Supporting Table S1** shows the concentration of various elements detected on the surfaces of the samples.

A notable amount of carbon is detected on all of the samples, most of which is probably from adventitious carbon which is found on all samples exposed to air. The samples which were stamped with PDMS show increased levels of oxygen and silicon compared to the non-stamped gold sample. Residue left on the sample from the stamping process, or unreacted MoO<sub>3</sub> from the CVD growth processes most-likely is the culprit of the increase. Since the silicon and oxygen increase is also seen on the gold sample without the MoS<sub>2</sub>, it is assumed that any PDMS residue is blanket-deposited wherever the PDMS contacts and does not preferably attach to the MoS<sub>2</sub>. This means that if the PDMS residue contributes to the PFM signal, its contribution to the MoS<sub>2</sub> signal can be removed by doing the background subtraction process of the substrate/residue PFM measurement. One possible complication would be if the PDMS residue

interacts differently with the MoS<sub>2</sub> versus the gold or Al<sub>2</sub>O<sub>3</sub> substrates. More work is needed to rule out any such effects.

We also note that the typical magnetic lens used for XPS measurements could not be used for the MoS<sub>2</sub>/gold sample because it was mounted on a magnetic AFM disk for better electrical contact during PFM measurements. Only the electrostatic lens was used for this sample, so the % concentration values may not be precise and represent a broader range of possible percentages.

**Table S1.** Percent concentration of selected elements on the surface of three different samples using XPS.

<b>Element</b>	<b>Gold Only</b>	<b>PDMS-Stamped Gold</b>	<b>MoS<sub>2</sub> on Gold</b>
<b>Au</b>	62.0 %	56.4 %	37.3 %
<b>C</b>	34.2 %	35.2 %	39.0 %
<b>O</b>	3.8 %	6.0 %	16.1 %
<b>Si</b>	0 %	2.4 %	5.6 %
<b>Mo</b>	0 %	0 %	0.9 %
<b>S</b>	0 %	0 %	1.1 %

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